

Cambridge IGCSE

ADDITIONAL MATHEMATICS

0606 P1

2017 - 2025

QUESTIONS + ANSWERS

Chapter 1	Sets	<i>excluded</i>
Chapter 2	Intersection Points	Page 1
Chapter 3	Surds, Indices & Logarithm	Page 20
Chapter 4	Factor Theorem	Page 83
Chapter 5	Matrices	<i>excluded</i>
Chapter 6	Geometry Coordinate	Page 104
Chapter 7	Linear Law	Page 121
Chapter 8	Functions & Modulus	Page 146
Chapter 9	Trigonometry	Page 226
Chapter 10	Circular Measure	Page 300
Chapter 11	Permutation & Combination	Page 343
Chapter 12	Binomial Theorem	Page 371
Chapter 13	Differentiation	Page 389
Chapter 14	Integration	Page 472
Chapter 15	Kinematics	Page 541
Chapter 16	Vectors	Page 578
Chapter 17	Relative Velocity	Page 606
Chapter 18	Sequences & Series	Page 615

1 - (0606/11_Summer_2017_Q1)

ANSWER

The line $y = kx - 5$, where k is a positive constant, is a tangent to the curve $y = x^2 + 4x$ at the point A .

- (i) Find the exact value of k . [3]
- (ii) Find the gradient of the normal to the curve at the point A , giving your answer in the form $a + b\sqrt{5}$, where a and b are constants. [2]

2 - (0606/13_Winter_2017_Q3)

ANSWER

Find the set of values of k for which the equation $kx^2 + 3x - 4 + k = 0$ has no real roots. [4]

3 - (0606/11_Summer_2018_Q1)

ANSWER

Solve the equations

$$y - x = 4,$$

$$x^2 + y^2 - 8x - 4y - 16 = 0.$$

[5]

4 - (0606/12_Summer_2018_Q2)

ANSWER

Find the values of k for which the line $y = 1 - 2kx$ does not meet the curve $y = 9x^2 - (3k + 1)x + 5$. [5]

5 - (0606/13_Summer_2018_Q1)

ANSWER

Solve the equations

$$y - x = 4,$$

$$x^2 + y^2 - 8x - 4y - 16 = 0.$$

[5]

6 - (0606/12_Winter_2018_Q12)

ANSWER

The line $y = 2x + 5$ intersects the curve $y + xy = 5$ at the points A and B . Find the coordinates of the point where the perpendicular bisector of the line AB intersects the line $y = x$. [9]

7 - (0606/12_Summer_2019_Q2)

ANSWER

Do not use a calculator in this question.

Find the coordinates of the points of intersection of the curve $y = (2x + 3)^2(x - 1)$ and the line $y = 3(2x + 3)$. [5]

1 - (0606/11_Summer_2017_Q1)



(i)	$kx - 5 = x^2 + 4x$ $x^2 + (4 - k)x + 5 = 0$
	For a tangent $(4 - k)^2 = 20$
	$k = 4 + 2\sqrt{5}$
	Alternative Gradient of line = k Gradient of curve = $\frac{dy}{dx} = 2x + 4$ Equating: $k = 2x + 4$
	substitution of $k = 2x + 4$ or $x = \frac{k - 4}{2}$ in $kx - 5 = x^2 + 4$ and simplify to a quadratic equation in k or x
	$k = 4 + 2\sqrt{5}$
(ii)	Normal gradient = $-\frac{1}{4 + 2\sqrt{5}} \times \frac{4 - 2\sqrt{5}}{4 - 2\sqrt{5}}$
	$= -\frac{4 - 2\sqrt{5}}{-4}$ oe $= 1 - \frac{\sqrt{5}}{2}$

2 - (0606/13_Winter_2017_Q3)



$9 < 4k(k - 4)$ $4k^2 - 16k - 9$	M1
$(2k - 9)(2k + 1)$	M1
Critical values $\frac{9}{2}, -\frac{1}{2}$	A1
$k < -\frac{1}{2}, k > \frac{9}{2}$	A1

3 - (0606/11_Summer_2018_Q1)



Substitution and simplification to obtain a 3 term quadratic in one variable	M1	substitution of $y = x + 4$ or $x = y - 4$ and simplification to 3 terms.
$x^2 - 2x - 8 = 0$ or $2x^2 - 4x - 16 = 0$ or $y^2 - 10y + 16 = 0$ or $y^2 - 10y + 16 = 0$	A1	correct equation of the form $ax^2 + bx + c = 0$ or $ay^2 + by + c = 0$
Solution of quadratic equation	M1	M1 dep
$x = 4, y = 8$ $x = -2, y = 2$	A2	A1 for each pair

4 - (0606/12_Summer_2018_Q2)



For an attempt to obtain an equation in x only	M1	
$9x^2 - (k+1)x + 4 = 0$	A1	correct 3 term equation
$(k+1)^2 - (4 \times 9 \times 4)$	M1	M1dep for correct use of $b^2 - 4ac$ oe
Critical values $k = 11, k = -13$	A1	
$-13 < k < 11$	A1	For the correct range

5 - (0606/13_Summer_2018_Q1)



Substitution and simplification to obtain a 3 term quadratic in one variable	M1	substitution of $y = x + 4$ or $x = y - 4$ and simplification to 3 terms.
$x^2 - 2x - 8 = 0$ or $2x^2 - 4x - 16 = 0$ or $y^2 - 10y + 16 = 0$ or $y^2 - 10y + 16 = 0$	A1	correct equation of the form $ax^2 + bx + c = 0$ or $ay^2 + by + c = 0$
Solution of quadratic equation	M1	M1 dep
$x = 4, y = 8$ $x = -2, y = 2$	A2	A1 for each pair

6 - (0606/12_Winter_2018_Q12)



	$2x^2 + 7x = 0$ or $y^2 - 3y - 10 = 0$	M1	For attempt to obtain a simplified quadratic equation in one variable equated to 0
		M1	Dep For solution of quadratic
	$(0, 5)$	A1	
	$\left(-\frac{7}{2}, -2\right)$	A1	
	Midpoint $\left(-\frac{7}{4}, \frac{3}{2}\right)$	B1	
	Gradient of $AB = 2$ $\therefore \perp$ gradient $= -\frac{1}{2}$	M1	For attempt to obtain gradient of line perpendicular to AB using <i>their</i> coordinates
	$\perp$ bisector: $y - \frac{3}{2} = -\frac{1}{2}\left(x + \frac{7}{4}\right)$	M1	For a correct attempt to obtain equation of perpendicular bisector using their midpoint and <i>their</i> perpendicular gradient
	Consideration of when $y = x$	M1	Dep on previous M1 For attempt to find intersection with the line $y = x$
	$x = y = \frac{5}{12}$	A1	For both